# Lecture 04: Memory and Binary Systems 

ITSC 3181 Introduction to Computer Architecture https://passlab.github.io/ITSC3181/

Department of Computer Science
Yonghong Yan
yyan7@uncc.edu
https://passlab.github.io/yanyh/

## Lectures for Chapter 1 and C Basics Computer Abstractions and Technology

- Lecture 01: Chapter 1
- 1.1 - 1.4: Introduction, great ideas, Moore's law, abstraction, computer components, and program execution
- Lecture 02-03: C Basics; Compilation, Assembly, Linking and Program Execution
- Lecture 03-04: Chapter 1
- 1.6-1.7: Performance, power and technology trends

IET Lecture 04-05: Memory and Binary Systems

- Lecture 05:
- 1.8-1.9: Multiprocessing and benchmarking


## Main Memory (DRAM) of a Computer



## Everything is Data Stored in Files

- Source code, executable, object are all files
- Files: Hello.c, sum_full.c, sum
- Folder: ., .., /home/yanyh, etc

Files Folders

TMT $\square$

- Compiler, OS kernel, etc are all stored as files
- gcc, vmlinuz-4.4.0-104-generic
- Information about files/folders and data are also files
- Metadata
- Files need to be loaded to memory in order to be processed
- ./hello: load the file hello and execute it
- Is: load the file Is, which is the command Is, and execute it. The Is command lists the files in the specified folder.


## Loading a file for a command to Memory

- To load a file from disk into memory
- Loading: To execute a file, e.g.
- yanyh@vm:~/sum\$ ./sum 1000000
- ./ is to specify the path of sum file
- To execute any linux command, e.g. "Is, cd", etc.
- Right-click an app icon to execute the app
- The runtime instance of an executable is called a "process"
- It occupies memory,
- It uses resources (files, sockets, driver, etc).
- It executes its threads (machine instructions).
- See the processes of the system using "ps" command, Windows "task manager", and Mac OS X "Activity Monitor"


## Memory and States

- A memory device is a gadget that helps you record information and recall the information at some later time.
- The minimum unit of memory is like an electrical switch

- The electrical switch can be in one of these 2 states:

```
- off (we will call this state 0)
- on (we will call this state 1)
```


## Memory Cells Used In A Computer

- One switch can be in one of 2 states
- A row of $n$ switches:

can be in one of $2^{n}$ states !


## Memory Cells Used In A Computer (cont.)

- Example: row of 3 switches



## Possible state that row of 3 switches can assume:



- A row of 3 switches can be in one of $2^{3}=8$ states.
- The 8 possible states are given in the figure above.


## Representing Numbers Using a Row of Switches

- We can represent each number using a different state of the switches.

Example:


Representing different numbers with 3 switches:

$$
\begin{array}{lr}
\square \square \square=\mathbf{0} & \square \square \square=\mathbf{4} \\
\square \square \square=\mathbf{1} & \square \square \square=\mathbf{5} \\
\square \square \square=\mathbf{2} & \square \square \square=6 \\
\square \square \square=\mathbf{3} & \square \square \square=7
\end{array}
$$

## The Binary Number System

- The binary number system uses 2 digits to encode a number:
- $0=$ represents no value
- 1 = represents a unit value
- That means that you can only use the digits 0 and 1 to write a binary number
- Example: some binary numbers



## The Binary Number System

- The different states of these 3 switches represent the numbers 0-7 using the binary number system:


Representing different numbers with 3 switches:

$$
\begin{array}{lll}
\square \square \square=\mathbf{0} & 000 & \square \square=\mathbf{4} \\
\square & 100 \\
\square \square \square=\mathbf{1} & 001 \\
\square & \square=5 & 101 \\
\square \square \square=2 & 010 & \square \square=6 \\
\square & 110 \\
\square \square=3 & 100 & \square \square=7
\end{array} 111 .
$$

## The Binary Number System

- The value that is encoded (represented) by a binary number is computed as follows:

| Binary number | Value encoded by the binary number |
| :--- | :--- |
| $d_{n-1} d_{n-2} \ldots d_{1} d_{0}$ | $d_{n-1} \times 2^{n-1}+d_{n-2} \times 2^{n-2}+\ldots+d_{1} \times 2^{1}+d_{0} \times 2^{0}$ |

## The Binary Number System

## Example:

| Binary number | Value encoded by the binary number |
| ---: | :--- | :--- |
| 0 | $0 \times 2^{0}=0$ |
| 1 | $1 \times 2^{0}=1$ |
| 10 | $1 \times 2^{1}+0 \times 2^{0}=2$ |
| 11 | $1 \times 2^{1}+1 \times 2^{0}=3$ |
| 1010 | $1 \times 2^{3}+0 \times 2^{2}+1 \times 2^{1}+0 \times 2^{0}=8+2=10$ |

## Memory and Binary Number in a Computer

- Computer memory consists of multiple memory cells and each cells stores a number

- The computer system uses the binary number encoding to store the number



## Memory and Binary Number in a Computer (cont.)

- Note: the address is also expressed as a binary number

A computer can have over 4,000,000,000 bytes (4 Gigabytes) of memory.

So we need a 32 bites to express the address

## Combining Adjacent Memory Cells

- A byte has 8 bits and therefore, it can store:


## $-2^{8}=256$ different patterns

- $00000000=0$
- $00000001=1$
- $00000010=2$
- $00000011=3$
- ...
- $11111111=255$
- Therefore, one byte can store one of 256 possible values
- You can store the number 34 into a byte,
- But you cannot store the number 456 , the value is out of range)


## Combining Adjacent Memory Cells (cont.)

- The computer can combine adjacent bytes (memory cells) and use it as a larger memory cell
Schematically:

2 bytes:

one 16-bits memory cell:


A 16 bits memory cell can store one of $2^{16}=65536$ different patterns.
Therefore, it can represent (larger) numbers ranging from: 0 65535.

## Combining Adjacent Memory Cells (cont.)

- Example: how a computer can use 2 consecutive bytes as a 16 bits memory cell:

- The bytes at address 0 and address 1 can be interpreted as a 16 bits memory cell (with address 0 )


## Combining Adjacent Memory Cells (cont.)

- When the computer accesses the memory, it specifies:
- The memory location (address)
- The number of bytes it needs
- E.g. read from 000... 000 for two bytes: It reads 3331 (decimal number)



## Combining Adjacent Memory Cells (cont.)

- Combine 4 consecutive bytes and use them as a 32 bits memory cell
- To represent numbers ranging from: $0-\left(2^{32}-1\right)$ or $0-4294967295$
- combine 8 consecutive bytes and use them as a 64 bits memory cell
- To represent numbers ranging from: 0 - ( $\left.2^{64-1}\right)$ or 0 18446744073709551615


## Data Store in Memory

- What information is stored in the RAM memory (what is the number represents) depends on:

| address of memory cell | RAM (memory) |
| :---: | :---: |
| 000... 000 | 00001101 |
| 000... 001 | 00000011 |
| 000... 010 | 00000000 |
| 000...011 | 00101101 |
|  | - |

- The type of data (this is the context information)
- Example of types: marital status, gender, age, salary, and so on.
- This determines the encoding scheme used to interpret the number


## Variables are Memory Locations

Compiler maps variable $\rightarrow$ memory location.
Declarations do not initialize!

```
int x; // x at 0x20
int y; // y at 0xOC
x = 0; // store 0 at 0x20
// store 0x3CD02700 at 0x0C
y = 0x3CD02700;
// load the contents at 0x0C,
// add 3, and store sum at 0x20
x = y + 3;
```

- Variable (x) is symbolic representation of a memory location - = x: Right value, i.e. appears on the right side of =
- read/load the content from the memory location - $x=$ : Left value, i.e. appears on the left side of =
- Write a value to the memory location

